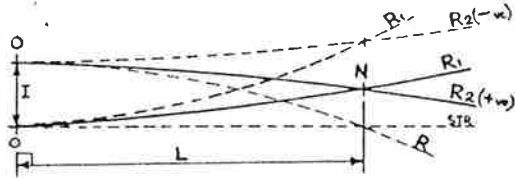


THESE NOTES ARE INTENDED FOR THE GUIDANCE AND ASSISTANCE OF STAFF ENGAGED UPON PERMANENT WAY WORK. THEY DO NOT IN ANY WAY MODIFY, SUPPLEMENT OR AMEND THE INSTRUCTIONS LAID DOWN IN E.D.I., STANDARD DRAWINGS CIRCULARS ETC., WHICH SHOULD BE REFERRED TO IN ALL CASES.

INTERSECTING CURVES

MAIN LINE FLEXURE CONTRARY TO R FLEXURE.



$R_1$  = MAIN LINE RAIL RADIUS

$R_2$  = RAIL RADIUS OUT OF CURVE

$R$  = RAIL RADIUS OUT OF STR (WITH I & N CONSTANT)

$$R = \frac{R_1 R_2}{R_1 + R_2 - \frac{I}{2}}$$

$$R_1 = \frac{R(R_2 - \frac{I}{2})}{R_2 - R}$$

$$R_2 = \frac{R(R_1 - \frac{I}{2})}{R_1 - R}$$

$$I = (R_1 + R_2) \pm \sqrt{(R_1 + R_2)^2 - \frac{R_1 R_2}{N^2 + \frac{1}{4}}}$$

$$R_1 = \frac{4I(N^2 + \frac{1}{4})(R_2 - \frac{I}{2})}{2R_2 - 4I(N^2 + \frac{1}{4})}$$

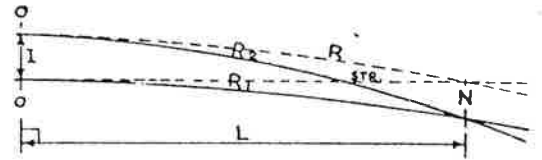
$$R_2 = \frac{4I(N^2 + \frac{1}{4})(R_1 - \frac{I}{2})}{2R_1 - 4I(N^2 + \frac{1}{4})}$$

$$N = \frac{\sqrt{(R_1 - \frac{I}{2})(R_2 - \frac{I}{2})}}{2I(R_1 + R_2 - \frac{I}{2})}$$

$$L = \frac{1}{R_1 + R_2 - I} \sqrt{2I(R_1 - \frac{I}{2})(R_2 - \frac{I}{2})(R_1 + R_2 - \frac{I}{2})}$$

$$L = \frac{R_1 R_2 N}{(R_1 + R_2 - I)(N^2 + \frac{1}{4})}$$

MAIN LINE FLEXURE SIMILAR TO R FLEXURE.



$$R = \frac{R_1 R_2}{R_1 - R_2 + \frac{I}{2}}$$

$$R_1 = \frac{R(R_2 - \frac{I}{2})}{R - R_2}$$

$$R_2 = \frac{R(R_1 + \frac{I}{2})}{R_1 + R}$$

$$I = (R_2 - R_1) \pm \sqrt{(R_1 - R_2)^2 + \frac{R_1 R_2}{N^2 + \frac{1}{4}}}$$

$$R_1 = \frac{4I(N^2 + \frac{1}{4})(R_2 - \frac{I}{2})}{4I(N^2 + \frac{1}{4}) - 2R_2}$$

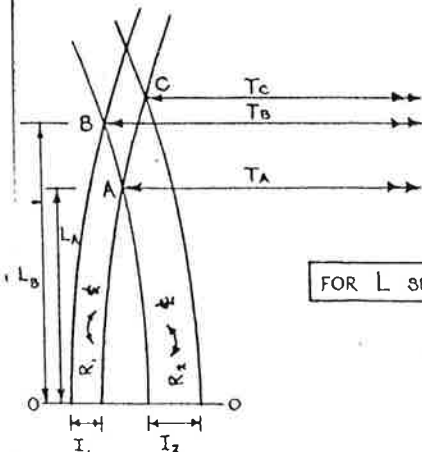
$$R_2 = \frac{4I(N^2 + \frac{1}{4})(R_1 + \frac{I}{2})}{4I(N^2 + \frac{1}{4}) + 2R_1}$$

$$N = \frac{\sqrt{(R_1 + \frac{I}{2})(R_2 - \frac{I}{2})}}{2I(R_1 - R_2 + \frac{I}{2})}$$

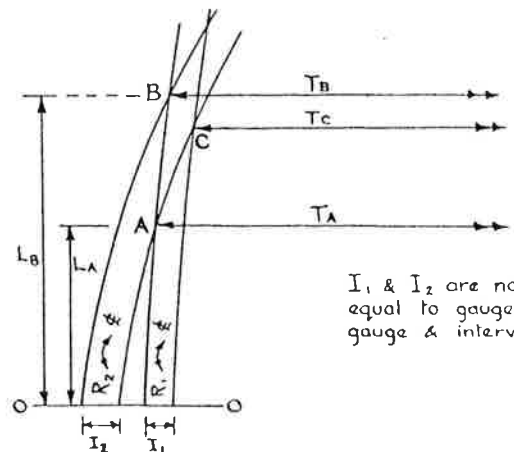
$$L = \frac{1}{R_1 - R_2 + I} \sqrt{2I(R_1 + \frac{I}{2})(R_2 - \frac{I}{2})(R_1 - R_2 + \frac{I}{2})}$$

$$L = \frac{R_1 R_2 N}{(R_1 - R_2 + I)(N^2 + \frac{1}{4})}$$

LATERAL DISPLACEMENT OF INTERSECTIONS IN CONCENTRIC CURVES.



FOR L SEE ABOVE



$I_1$  &  $I_2$  are normally equal to gauge or gauge & interval.

$$T_A - T_B = \frac{R_1 I_1}{OQ}$$

$$T_A - T_C = \frac{R_2 I_2}{OQ}$$

$$T_A - T_B = \frac{R_2 I_2}{OQ}$$

$$T_A - T_C = \frac{R_1 I_1}{OQ}$$

WHERE OQ IS DISTANCE BETWEEN THE CENTRES OF THE CIRCLES  $R_1$  &  $R_2$  MEASURED ALONG THE COMMON R/

THESE VALUES ARE USEFUL FOR OBTAINING DIAMOND SIDES & SIMILAR DIMENSIONS SINCE  $AB = \sqrt{(L_B - L_A)^2 + (T_A - T_B)^2}$  &  $AC = \sqrt{(L_C - L_A)^2 + (T_A - T_C)^2}$